

**VANISHING THEOREMS FOR DIFFERENTIAL FORMS AND  
LIOUVILLE THEOREMS OF  $p$ -HARMONIC MAPS WITH  
INFINITE  $q$ -ENERGY ON CURVED MANIFOLDS WITH  
POINCARÉ-SOBOLEV INEQUALITY**

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ABSTRACT. In this talk, we will explore the extension of the Liouville-type theorems and vanishing theorems from the finite  $q$ -energy to the infinite  $q$ -energy. We will study closed and  $p$ -pseudoclosed differential forms  $\omega$ . We will also study  $p$ -harmonic maps  $u$  and their relations with  $\omega$ . In particular, the following research findings will be explained:

- Vanishing Theorem of  $\omega$  on the curved manifold  $M$  with one sign of curvature in the context of non-negative Ricci curvature
- Vanishing Theorem of  $\omega$  on the curved manifold  $M$  with the mixed curvature sign in the presence of Poincaré-Sobolev Inequality
- Liouville Theorems of  $u$  from the domain  $M$  with the mixed curvature sign to the non-positively curved target  $N$

This is my joint research work with Shihshu Walter Wei.